




MSF Impacts on CWT System



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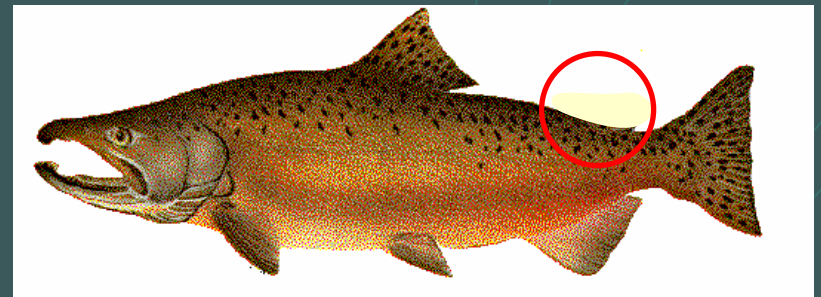
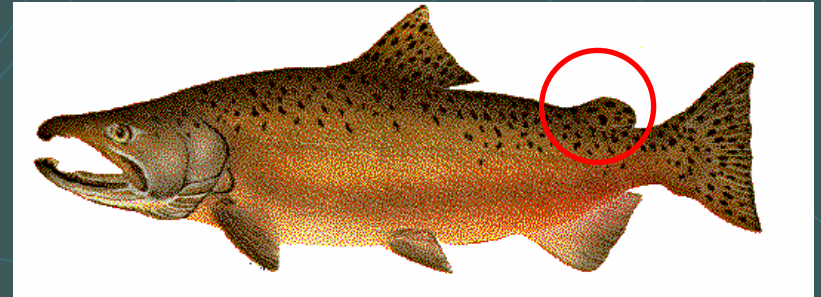
Marianna Alexandersdottir

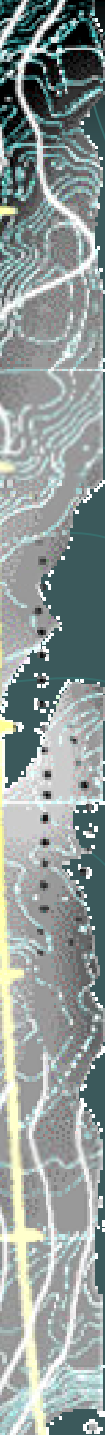
Mark-Selective What?

- Concerns over impacts to the viability of the CWT system in the presence of MSF's.
- How much do MSFs impact the CWT system relative to other impacts?
- How can we weigh the benefits against the costs (both informationally and financially)

What is Mark-Selective Fishing?

- Release any salmon with an intact adipose fin
- Keep any salmon without an adipose fin





Marked
Hatchery

Wild

Unmarked
Hatchery

Release

$ER^M 1$

$ER^U 1$

$ER^U 1$

$ER^M 2$

$ER^U 2$

$ER^U 2$

$ER^M 3$

$ER^U 3$

$ER^U 3$

$ER^M 4$

$ER^U 4$

$ER^U 4$

Escapement

What is DIT?

- Two tag groups for each indicator stock.
 - One group is mass marked with an ad clip
 - The second group is not mass marked
 - Both are tagged
- The unmarked DIT group now represents the unmarked production.
- Assumption: both groups are identical except for clip.



Unmarked Hatchery DIT

Release

Tags

MSF 1

Est Tags

MSF 2

Est Tags

NSF 1

Tags

NSF 2

Tags

Escapement

Tags

Estimate the tags well,
and the ER^U 's are ok

Estimate the tags poorly
and the ER^U 's are biased

What are the MSF Impacts?

- Depending on analytical method used, introduction of bias or imprecision to ER's of MSF's.
 - Requires the substitution of assumed parameters for otherwise observed data.
- Similar to unreported tags, will bias the ER's of other NSF's exploiting the same stocks.

Estimating MSF Incidental Unmarked Mortalities

Estimate of Unmarked Encounters

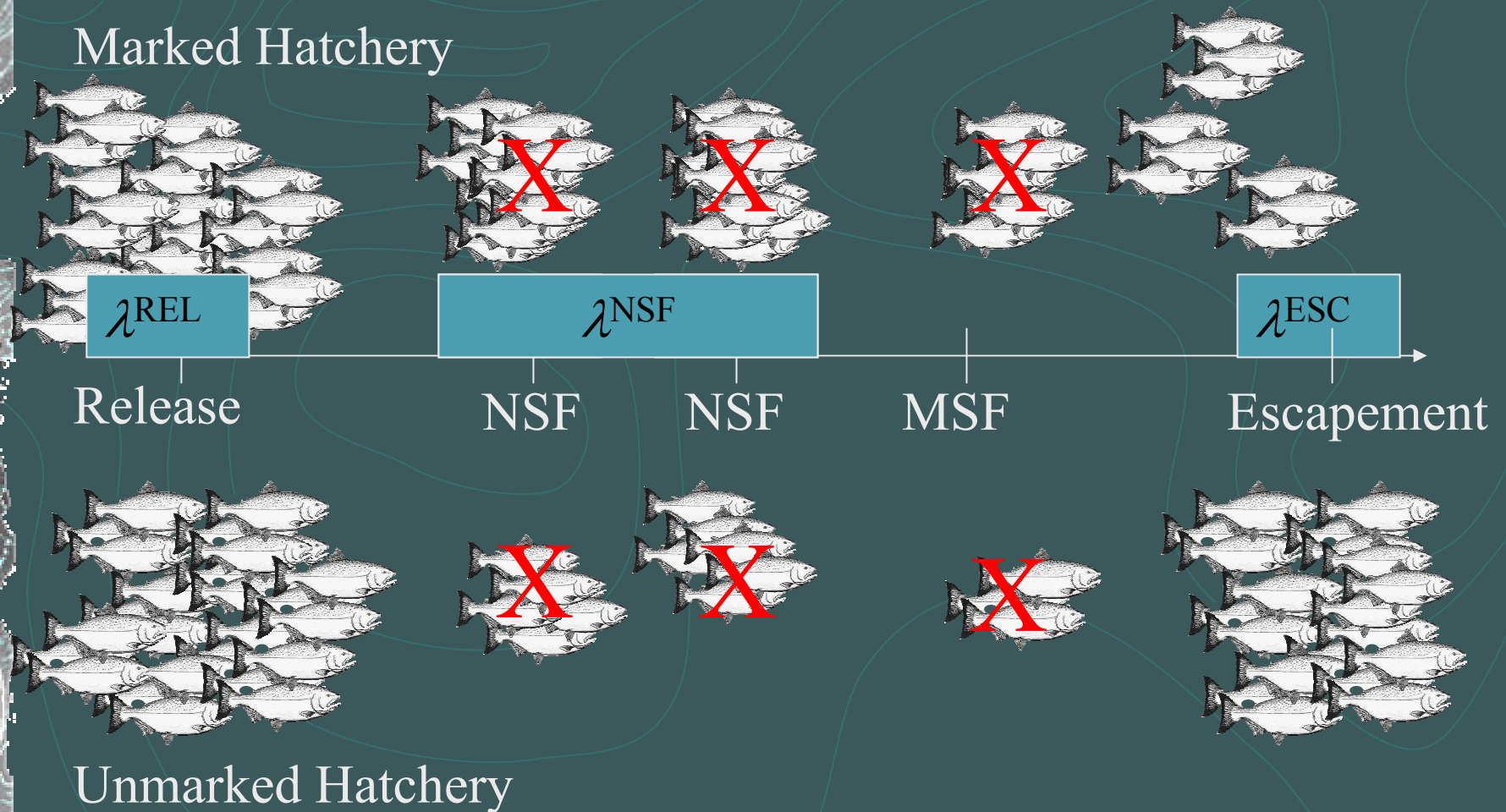
* Incidental hook and release mortality rate

Observed Marked Encounters * λ *

sfm

λ is the unmarked to marked ratio for specific DIT groups encountered

Estimating Unmarked to Marked Ratio (λ)



A vertical strip on the left side of the slide shows a topographic map of the Salmon River watershed. It features contour lines and a yellow line indicating the river's path.

Example: Salmon River Coho

MSF	Marked Recoveries	SE (M)
Coos Bay	1.74	1.13
Tillamook	1.20	0.49
WA Area 1	25.33	5.31
WA Area 2	66.25	9.24
WA Area 3	3.58	0.84
WA Area 4	8.65	4.04
SUM	105.01	11.49

Example: Salmon River Coho: λ^{REL}

$$\lambda^{REL} = \frac{68,234}{72,236} = 0.945$$

$$\sum U^{MSF} = \left(\sum M^{MSF} \right) \lambda^{REL} sfm = 105.01 * 0.945 * 0.14 = 13.89$$

$$SE(\sum U^{MSF}) \cong \sqrt{V(\sum M^{MSF}) (\lambda^{REL})^2 sfm^2} = \sqrt{132.12} * 0.945 * 0.14 = 1.52$$

Example: Salmon River Coho: λ^{NSF}

$$\lambda^{NSF} = \frac{7.48}{7.48} = 1.0$$

$$V(\lambda^{NSF}) \cong \left(\frac{1}{7.48}\right)^2 48.44 + 48.44 \left(\frac{1}{7.48}\right)^2 = 1.73$$

$$\sum U^{MSF} = \left(\sum M^{MSF}\right) \lambda^{NSF} sfm = 105.01 * 1.0 * 0.14 = 14.7$$

$$SE(\sum U^{MSF}) \cong \sqrt{\left(\sum M^{MSF}\right)^2 (sfm^2) V(\lambda^{NSF}) + V(\sum M^{MSF}) (\lambda^{NSF})^2 sfm^2}$$

$$= \sqrt{(105.01)^2 (0.14^2) 1.73 + 132.12 (1.0)^2 (0.14^2)} = 19.53$$

Example: Salmon River Coho: λ^{ESC}

$$\lambda^{ESC} = \frac{856.5}{611.6} = 1.4$$

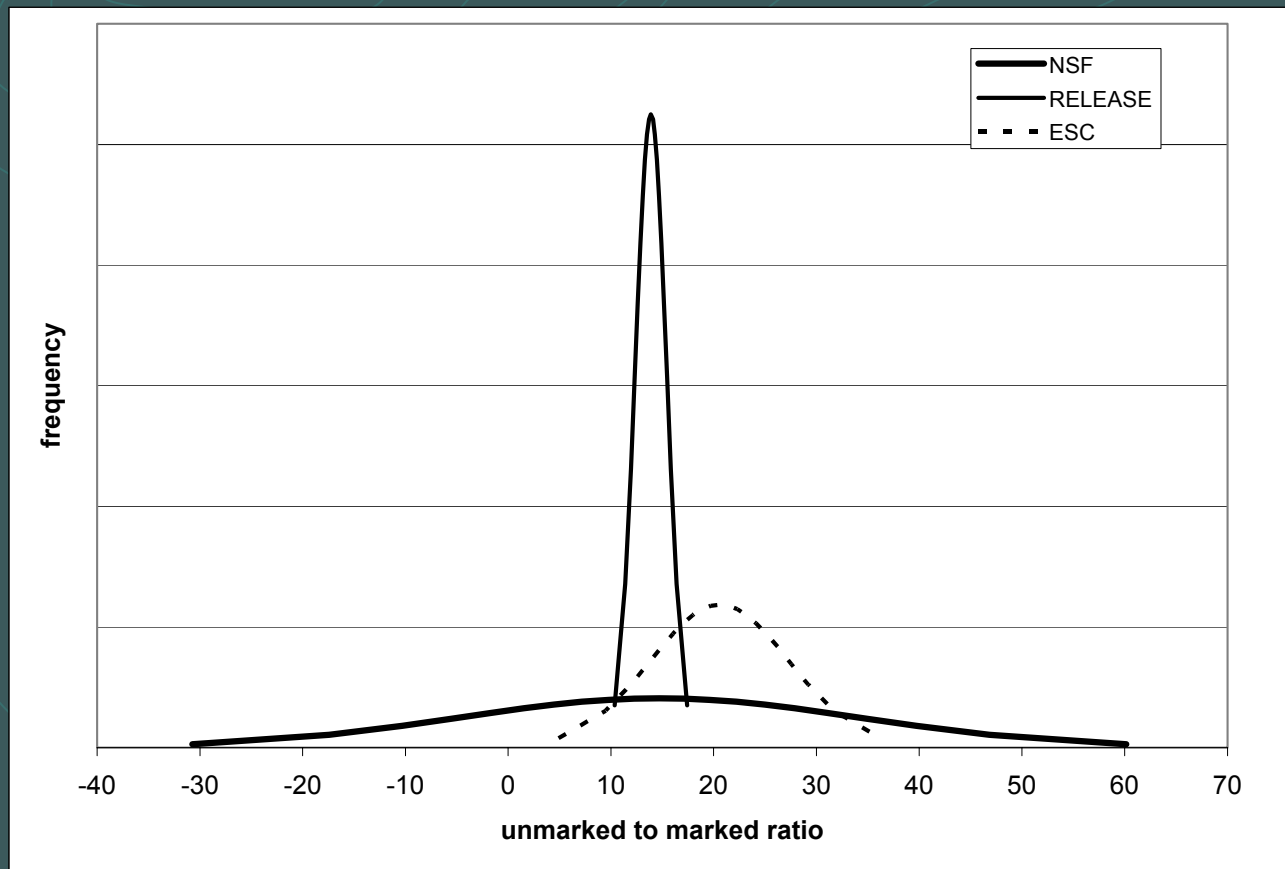
$$V(\lambda^{ESC}) \cong \left(\frac{1}{M^{ESC}} \right)^2 V(U^{ESC}) + V(M^{ESC}) \left(\frac{\lambda^{ESC}}{M^{ESC}} \right)^2 = 0.187$$

$$\sum U^{MSF} = \left(\sum M^{MSF} \right) \lambda^{ESC} sfm = 105.01 * 1.4 * 0.14 = 20.58$$

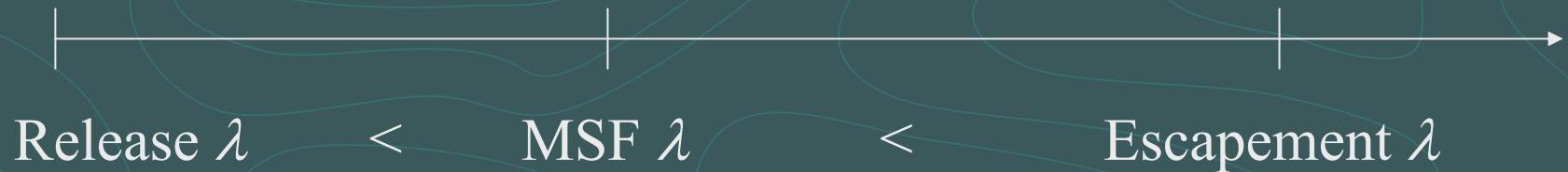
$$SE(\sum U^{MSF}) \cong \sqrt{\left(\sum M^{MSF} \right)^2 (sfm^2) V(\lambda^{ESC}) + V(\sum M^{MSF}) (\lambda^{ESC})^2 sfm^2}$$

$$= \sqrt{(105.01)^2 (0.14^2) 0.187 + 132.12 (1.4)^2 (0.14^2)} = 6.74$$

REL vs. NSF vs. ESC



Maximum Bias Estimate



λ^{REL} with a negative bias

λ^{ESC} with a positive bias

$$M * \lambda^{\text{ESC}} * sfm - M * \lambda^{\text{REL}} * sfm = M * sfm (\lambda^{\text{ESC}} - \lambda^{\text{REL}})$$

Confidence Intervals

λ^{REL} with a negative bias $\left(\hat{U} - 2\sqrt{Bias^2 + Var}, \hat{U} + 2\sqrt{Var}\right)$
(10.86, 27.62)

λ^{NSF} with no bias $\left(\hat{U} - 2\sqrt{Var}, \hat{U} + 2\sqrt{Var}\right)$
(-24.36, 53.76)

λ^{ESC} with a positive bias $\left(\hat{U} - 2\sqrt{Var}, \hat{U} + 2\sqrt{Bias^2 + Var}\right)$
(1.58, 34.06)

	Hatchery	Bro od Year	Marked		Unmarked	
			NSF	SF	NSF	SF
Region	Bingham Creek	1995	18.9%	6.8%	10.1%	1.0%
		1996	8.6%	3.5%	6.9%	2.4%
		1997	27.2%	6.8%	28.5%	2.4%
	Forks Creek	1995	56.7%	2.2%	54.9%	0.3%
	Humptulips	1995	58.9%	3.2%	58.1%	0.4%
		1996	27.8%	3.0%	22.9%	0.4%
	Makah NFH	1996	15.3%	5.6%	20.4%	1.1%
		1997	1.8%	8.7%	3.1%	1.7%
	Quinault NFH	1995	58.5%	0.2%	46.9%	0.0%
		1996	47.9%	4.5%	52.4%	0.8%
		1997	44.3%	9.8%	51.1%	1.9%
	Salmon River	1996	38.7%	9.1%	38.8%	1.4%
		1997	37.3%	14.7 %	34.9%	2.1%
	Solduc	1996	9.8%	7.6%	9.5%	1.1%
		1997	0.9%	11.2 %	0.2%	2.0%
Coastal Total			29.8%	6.6%	28.9%	1.3%

So ... how big are the MSF Impacts?



Comparison of return rates to hatchery (Coho DIT Report)

$$z = \frac{\hat{p}_u - \hat{p}_m}{\sqrt{\hat{Var}(\hat{p}_u) + \hat{Var}(\hat{p}_m)}}$$

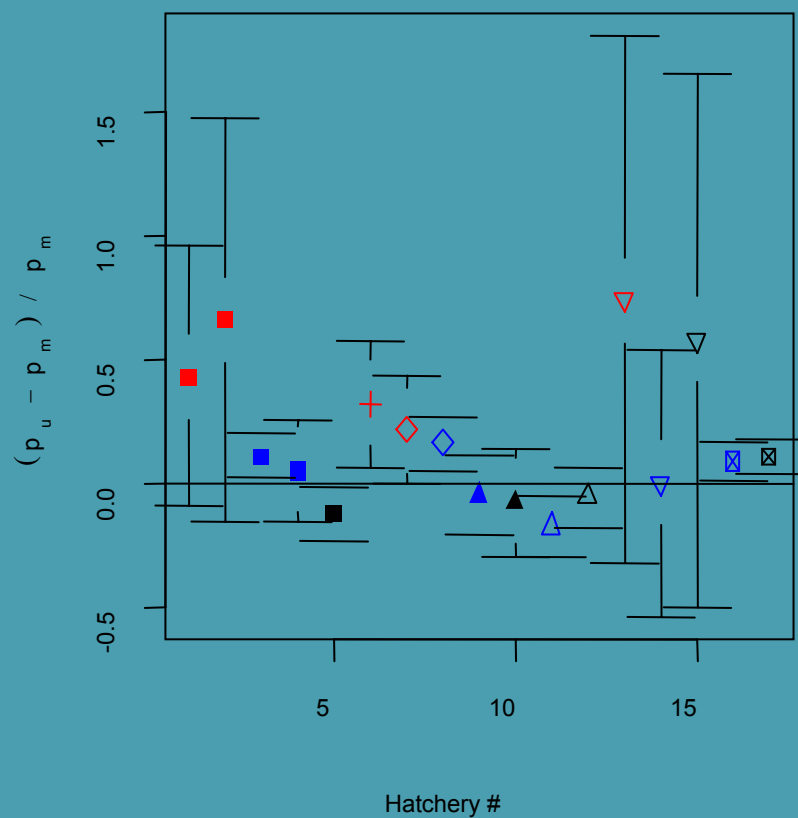
Comparison of return rates to hatchery (Coho DIT Report)

Table 1. Summary of escapement return rate tests by brood year summarized from Table 15.

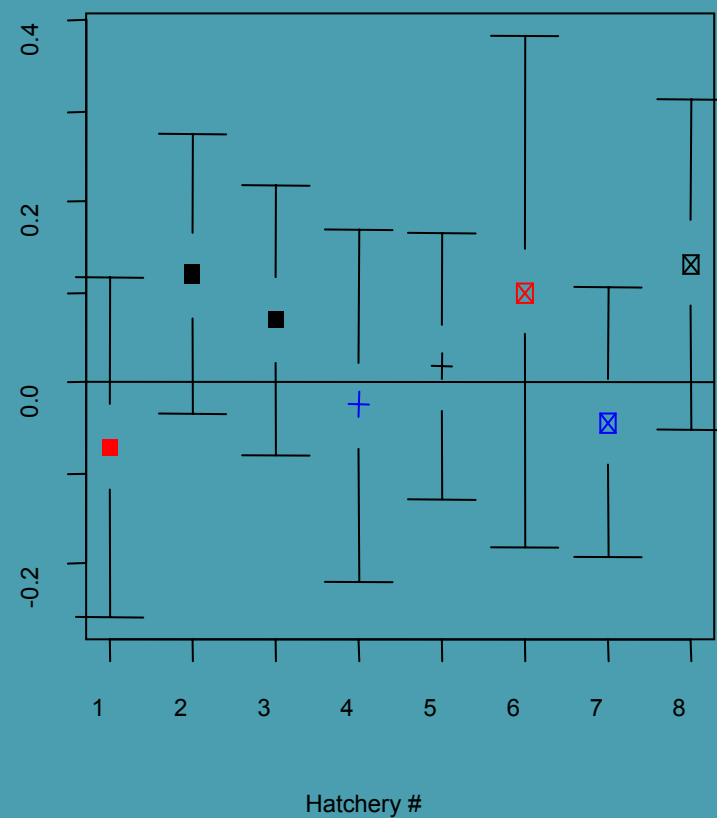
Run Year	$p_m > p_u$ ($P < 0.05$)	$p_u > p_m$ ($P < 0.05$)	Non-significant
1998	0	2	6
1999	1	5	10
2000	1	3	9

MSF Impact on Coho

(a) Coastal Stocks

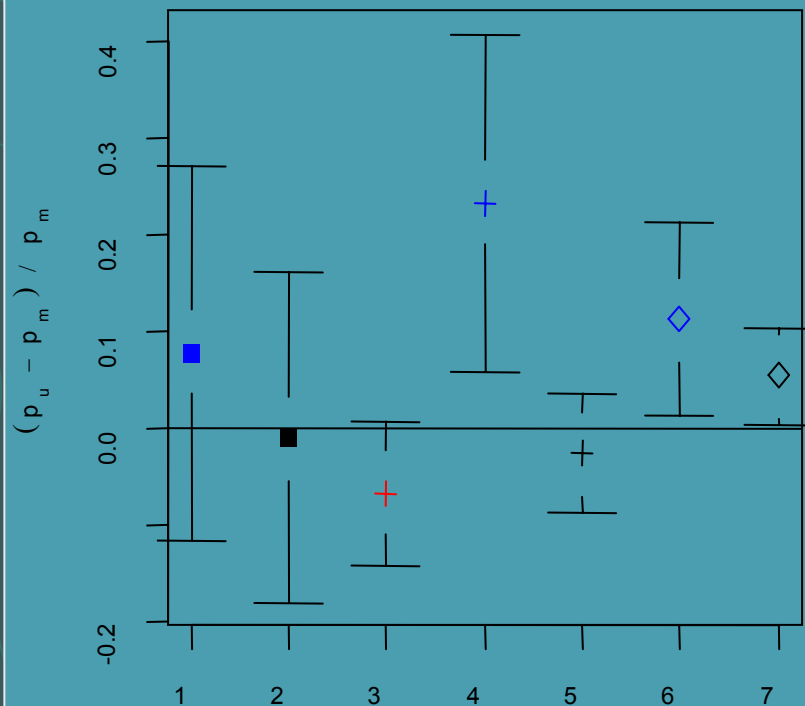


(b) Hood Canal/S.J.D.F



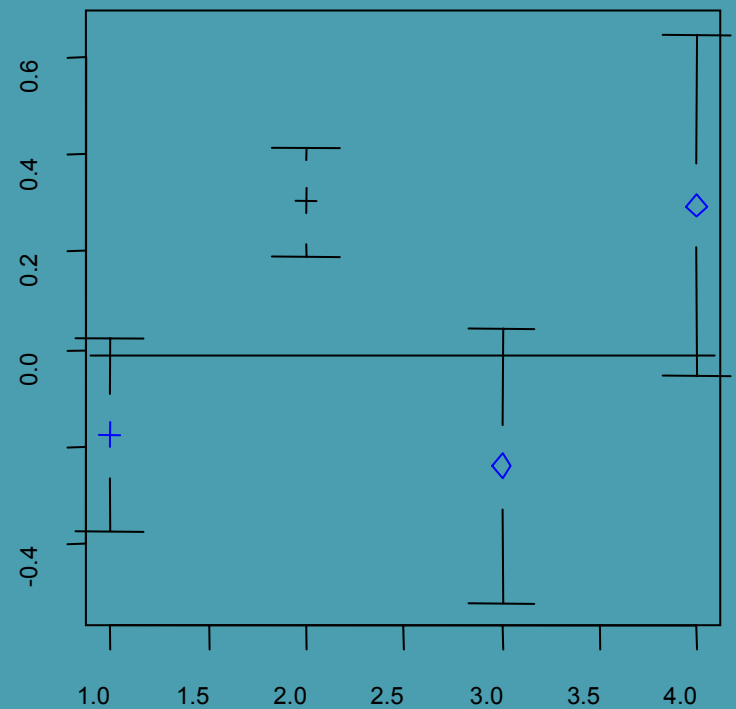
MSF Impact on Coho

(c) N. Puget Sound



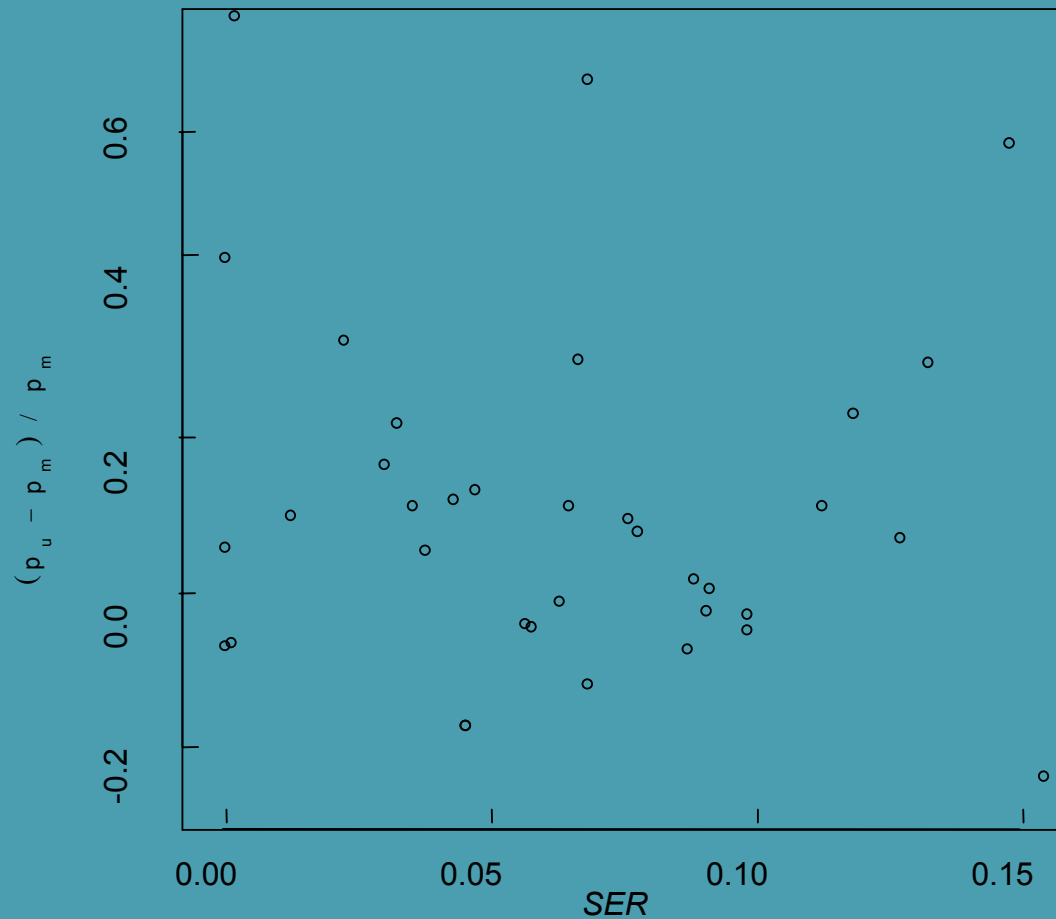
Hatchery #

(d) S. Puget Sound



Hatchery #

MSF Impact on Coho



Similarities to Other Incidental Mortalities

Estimate of Unmarked Encounters

* Incidental hook and release mortality rate

Estimate of Sub-legal Encounters

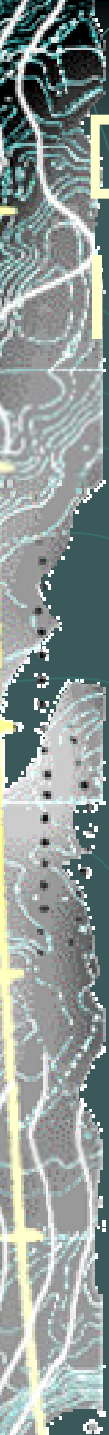
* Incidental hook and release mortality rate

Estimate of CNR Encounters

* Incidental hook and release mortality rate

Estimate of drop-off Encounters

* Incidental hook and release mortality rate



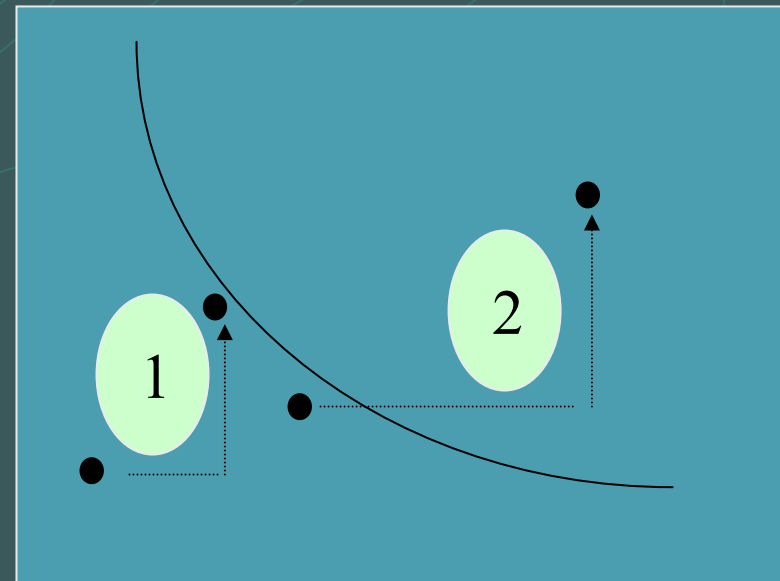
Differences From Other Sources of Incidental Mortalities

- With MSF's there is a differential impact between the unmarked and marked DIT groups not shared by other listed sources of incidental mortalities.

On the Other Hand ...

- Bias in number of mortalities biases the ER's, and bias is a statistical property that can be compared among different sources of incidental mortalities.

PMSE



SER



What about chinook?

- There was a preterminal MSF on chinook in the Strait of Juan de Fuca in 2003.
- Marked CWTs were recovered from
 - G. Adams, Grovers, Chilliwack, Shuswap, Kalama, Lewis, Lyons Ferry, Marblemount, Nisqually, Samish, Soos, White River and Whitehorse Pond



What about chinook?

■ With an *sfm* of 0.14:

■ Grovers Creek age 4 $M = 23.97$ $U^{REL} = 3.34$

● Projected $M = 14.17$ $U^{REL} = 1.98$

■ Grovers Creek age 3 $M = 29.84$ $U^{REL} = 4.23$

● Projected $M = 23.05$ $U^{REL} = 3.27$



What about chinook?

■ With an *sfm* of 0.14:

■ Soos Creek age 4

● Projected

$M = 12.80$

$U^{\text{REL}} = 1.83$

$M = 20.43$

$U^{\text{REL}} = 2.93$

■ Soos Creek age 3

● Projected

$M = 30.69$

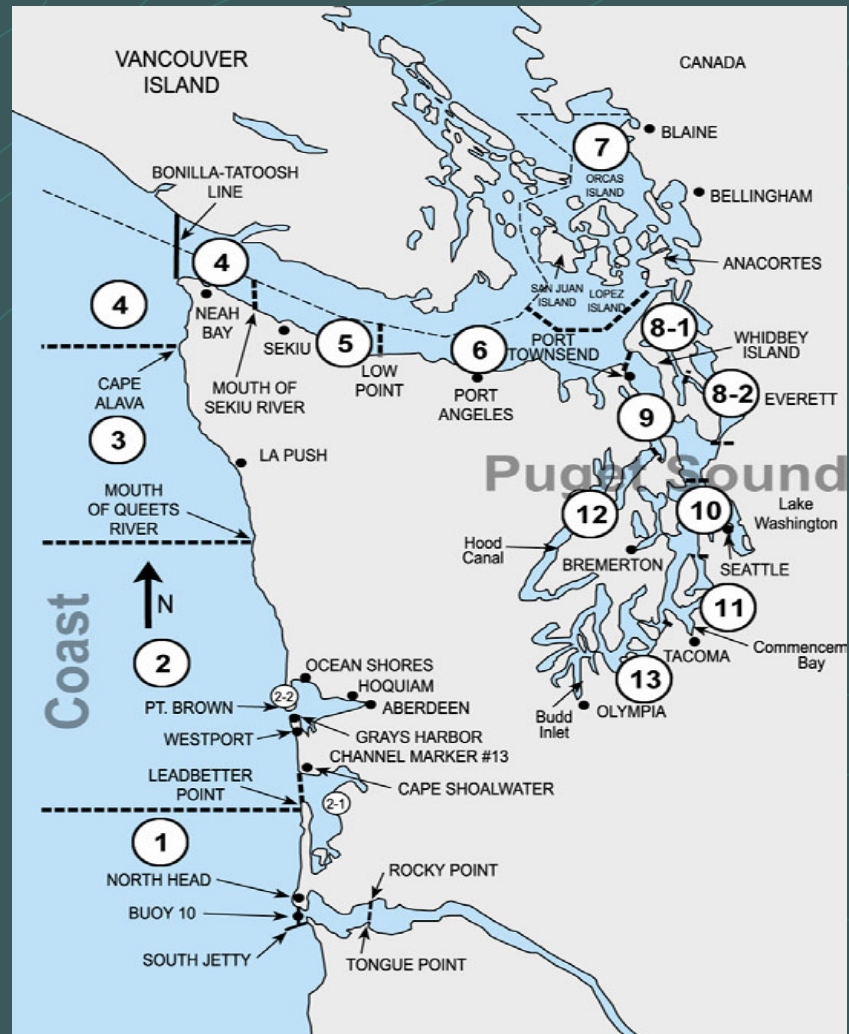
$U^{\text{REL}} = 4.48$

$M = 19.86$

$U^{\text{REL}} = 2.9$

Distribution Issues

- A large MSF in ST JDF
 - $\lambda = 1.0$
- A second MSF in Area 9
 - $\lambda = 2.0$
- Escapement including fish from ST Georgia with no MSF's
 - $\lambda = 1.2$



Do we need DIT?

$$U = M * \lambda^{\text{REL}} * \text{sfm}$$

$$\begin{aligned} \text{SER}(U) &= \frac{M * \lambda^{\text{REL}} * \text{sfm}}{\text{Unmarked Cohort}} \\ &= \frac{M * \lambda^{\text{REL}} * \text{sfm}}{\text{Marked Cohort} * \lambda^{\text{REL}}} \\ &= \text{SER}(M) * \text{sfm} \end{aligned}$$

DIT in NSF Fisheries

Fishery	True Marked Mortalities (M) ¹	True Unmarked Mortalities (U)	True Unmarked Exploitation Rate	Estimated Unmarked Mortalities (est'd U) w/DIT ¹	Estimated Unmarked Exploitation Rate w/DIT	Estimated Unmarked Exploitation Rate w/o DIT
Initial Cohort Size	1000	1000		998.65		
MSF 1 HR = 0.15	150	15	0.015	15	0.015	0.015
MSF 2 HR = 0.10	85	9.85	0.00985	8.5	0.0085	0.0085
NSF 1 HR = 0.20	153	195.03	0.195	195.03	0.1953	0.153
NSF 2 HR = 0.10	61.2	69.15	0.06915	69.15	0.0692	0.0612
Escapement	550.8	710.97		710.97		



With DIT

- We have a data based means of bounding bias on ER's where the escapement λ is an overestimate.
- We have a means of monitoring the MSF impact
- We have less biased ER's in NSF's.



Conclusions

- There is more than one way to do the MSF analyses (e.g. release, NSF, or escapement λ)
- Some methods are biased, others imprecise
- In the coho MSF's the MSF impact was difficult to detect (even with SER's $\sim 15\%$).
- DIT provides monitoring information, a means for bounding bias.

